

Very Efficient Yield Estimation of the Microwave Performance of Very High-Accuracy Machined Parts

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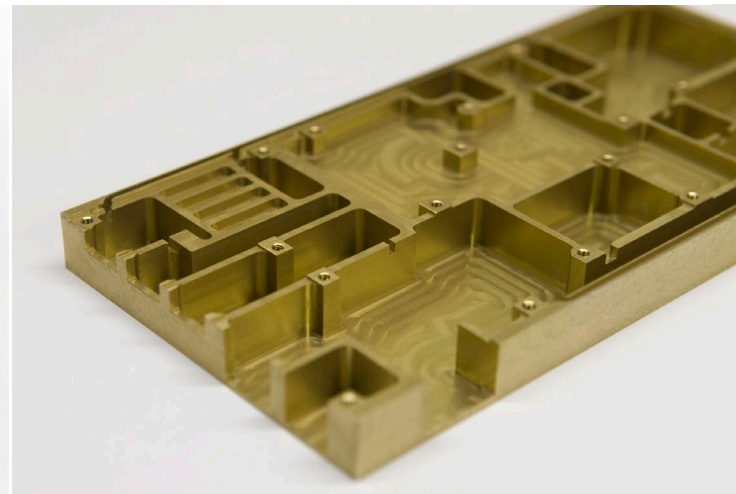
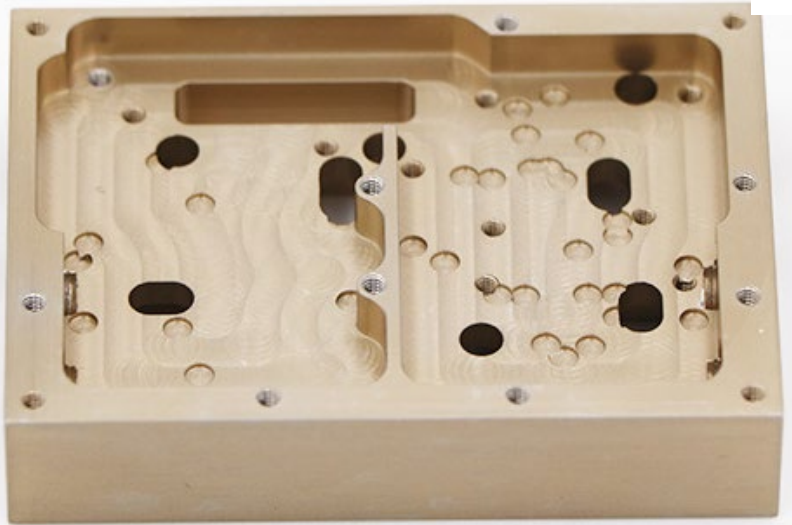
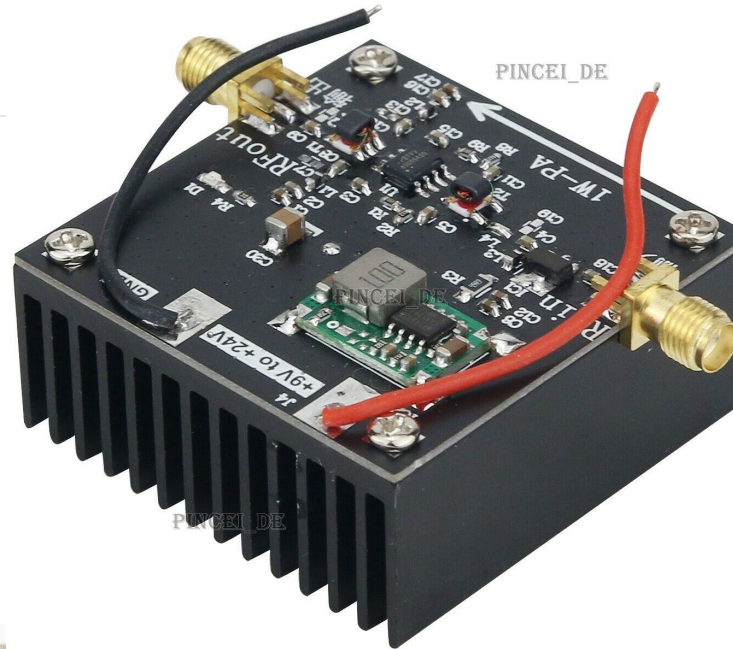


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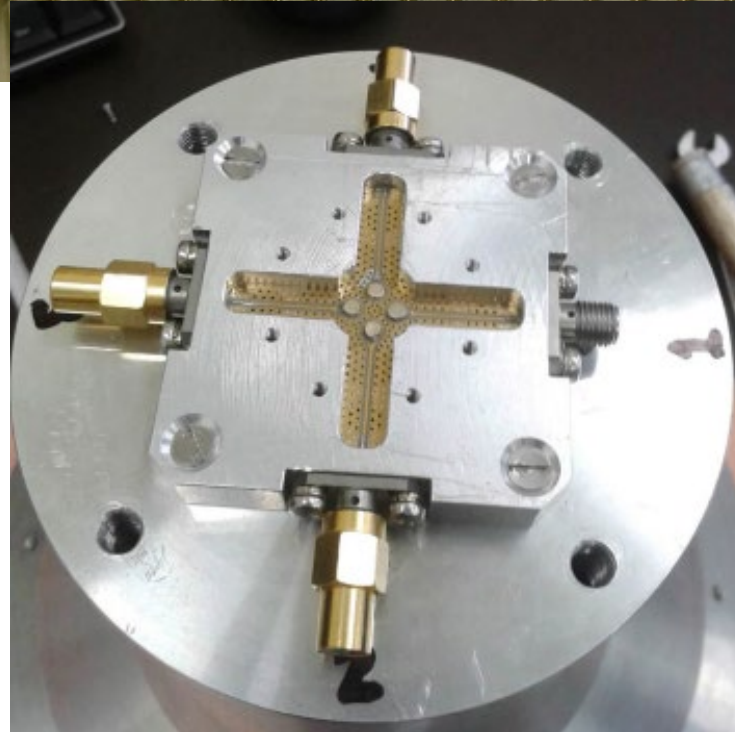
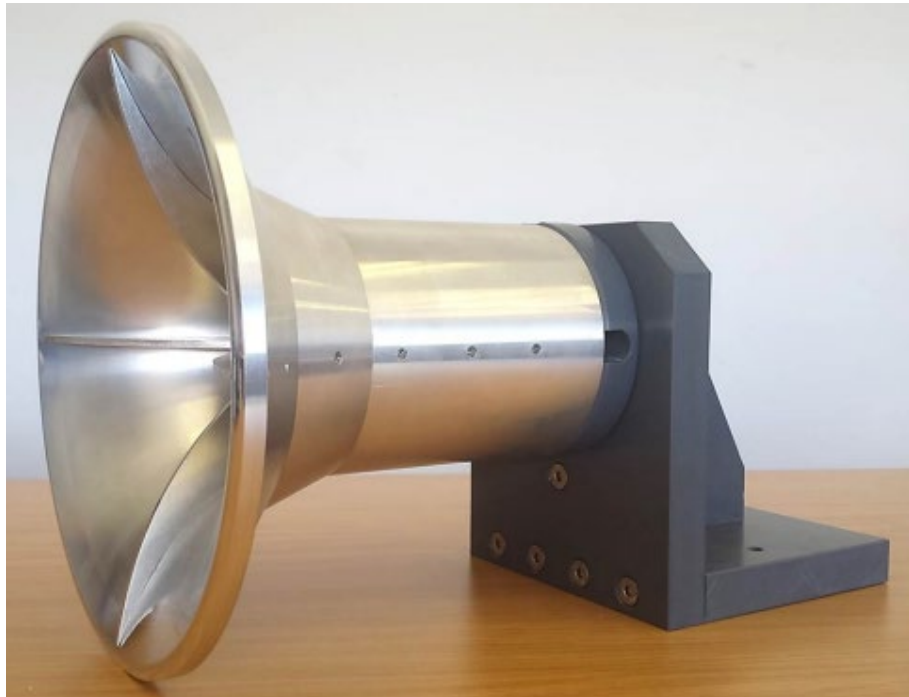
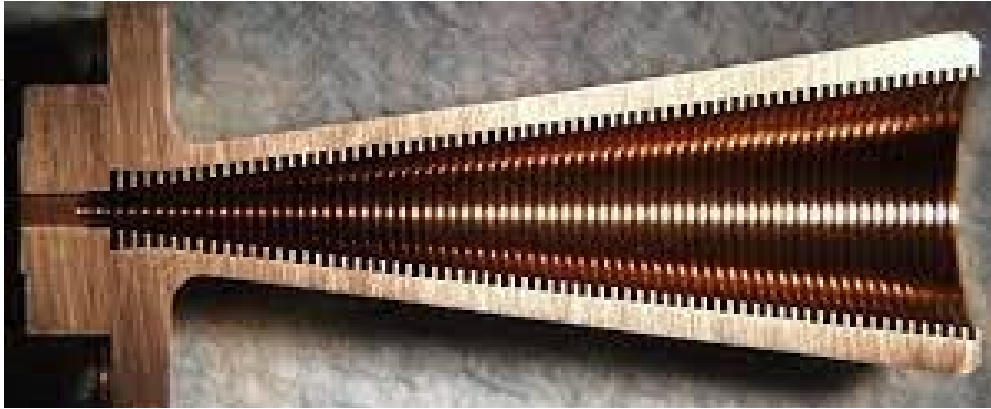
Overview

- What is the problem?
- How can we improve that?
- Example
- Future

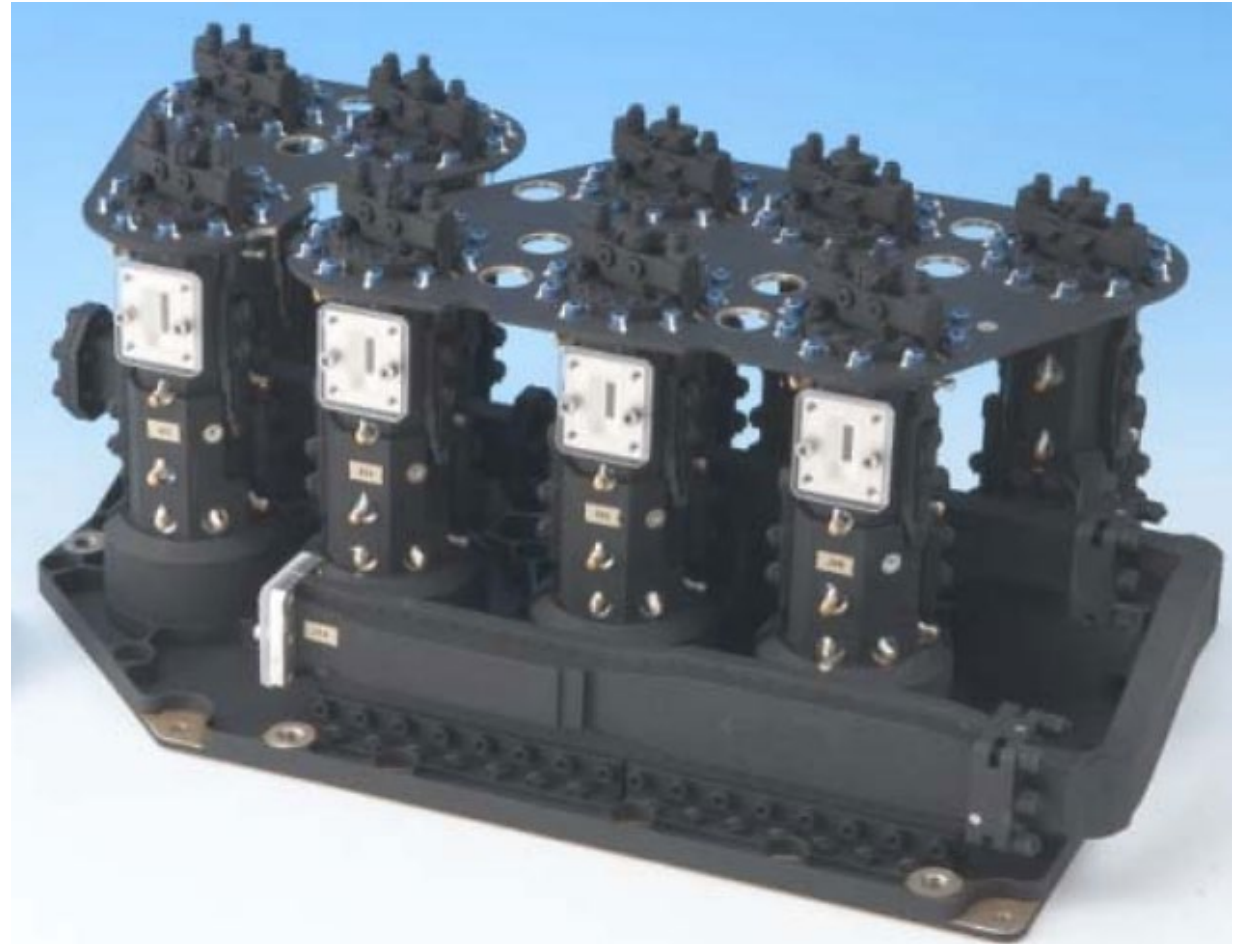
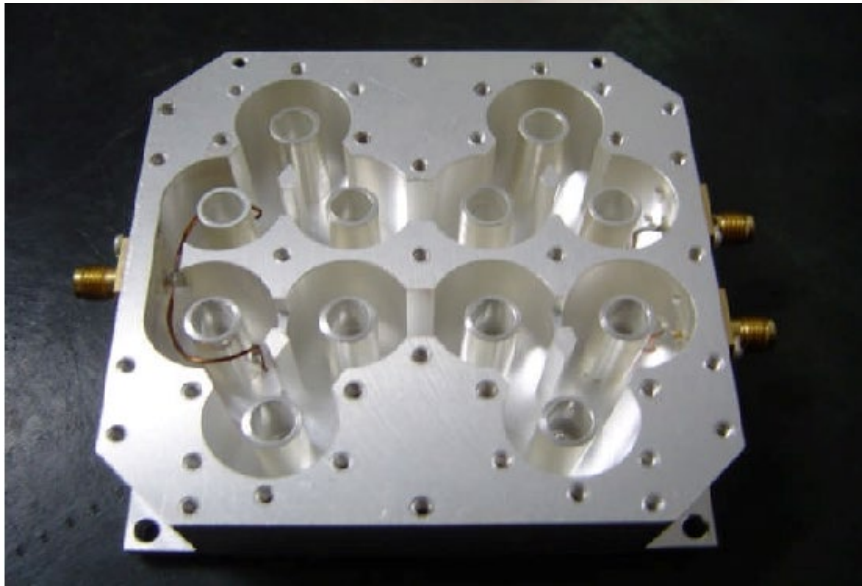
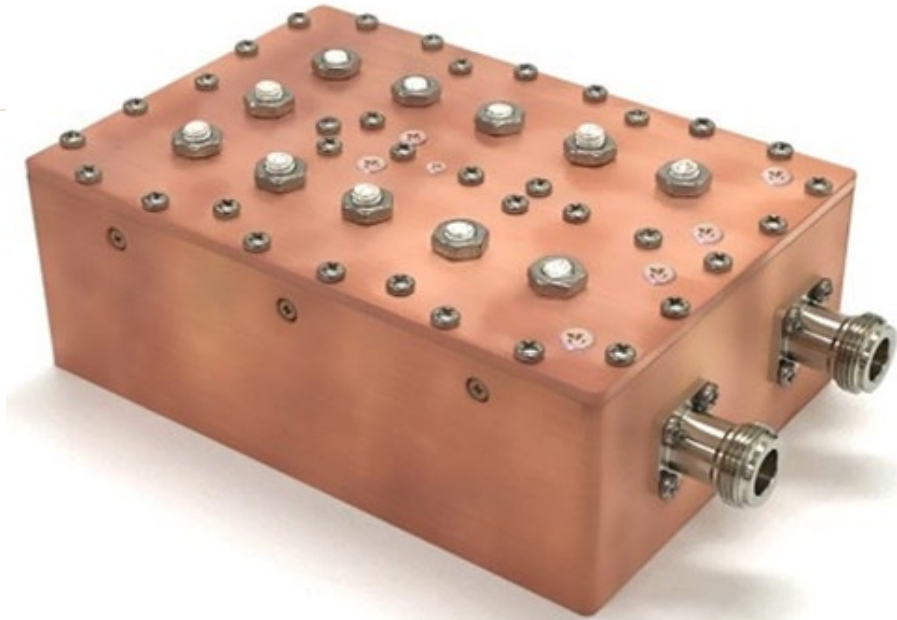
What is the problem?



What is the problem?



What is the problem?



Normal design procedure - with tuning

3D solver

- Decide on filter topology

- Calculate initial dimensions

x 1

- Combine elements - assume 0% tolerance

x n

- Fine tuning by hand

x N

- Optimization process

x n

- Add tuning elements

Design procedure - no tuning

3D solver

- Decide on filter topology

- Calculate initial dimensions

x 1

- Combine elements - assume 0% tolerance

x n

- Fine tuning by hand

x N

- Optimization process

x NN

- Yield analysis – Monte Carlo

How can we improve that?

- Polynomial Chaos Expansion (PCE)

Surrogate modelling technique that represents a **system performance parameter** in terms of orthogonal polynomial expansions of **random system parameters**

$$\hat{y}(x) = \sum_{k=0}^N c_k \phi_{\bar{k}}(x)$$

Mean Estimation

$$\approx c_0 \alpha_0$$

Variance Estimation

$$\approx \sum_{k=1}^P c_k^2 \alpha_k^2$$

Yield Estimation

Only requires Mean
and Variance

How can we improve that?

- Non-Linear Partial-Least-Squares (NLPLS)

is a meta-modelling method that attempts to find relations between observable system parameters and **latent variables** (inferred variables)

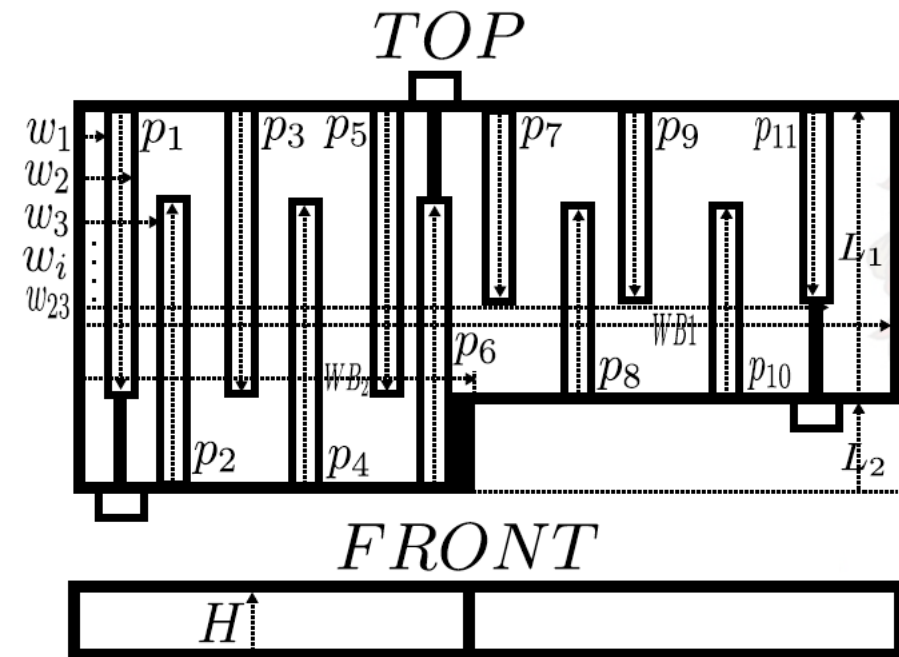
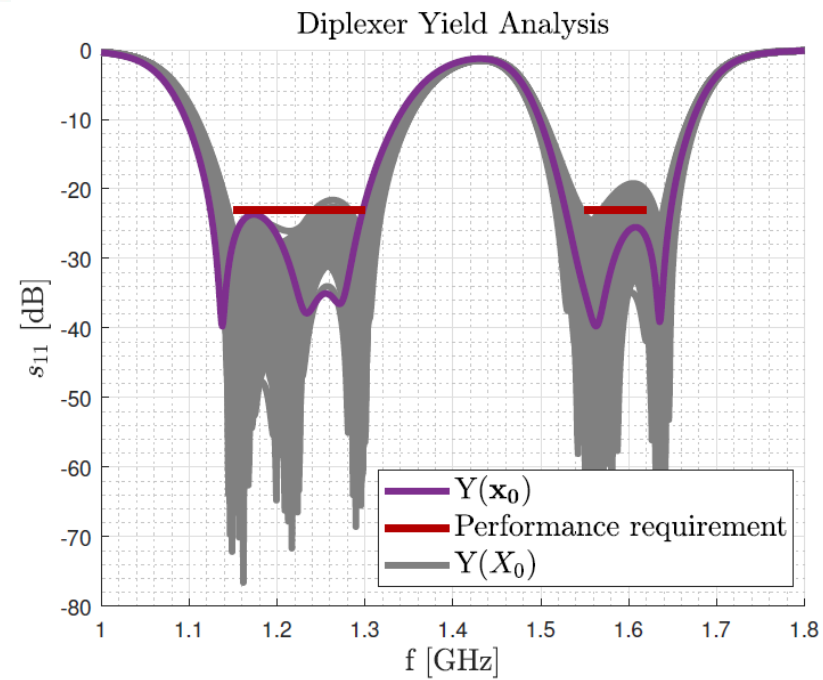
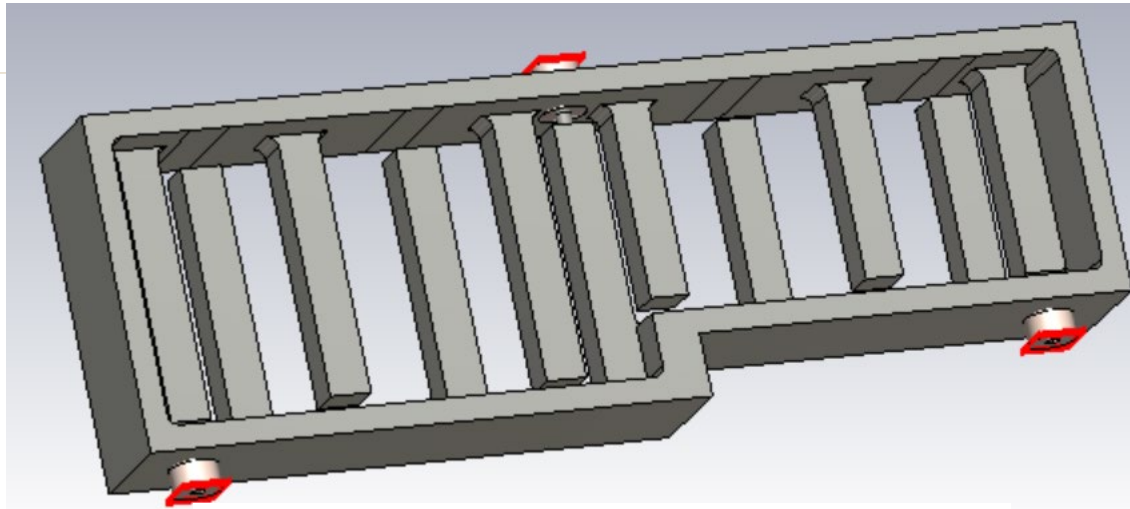


Massive reduction in system parameters



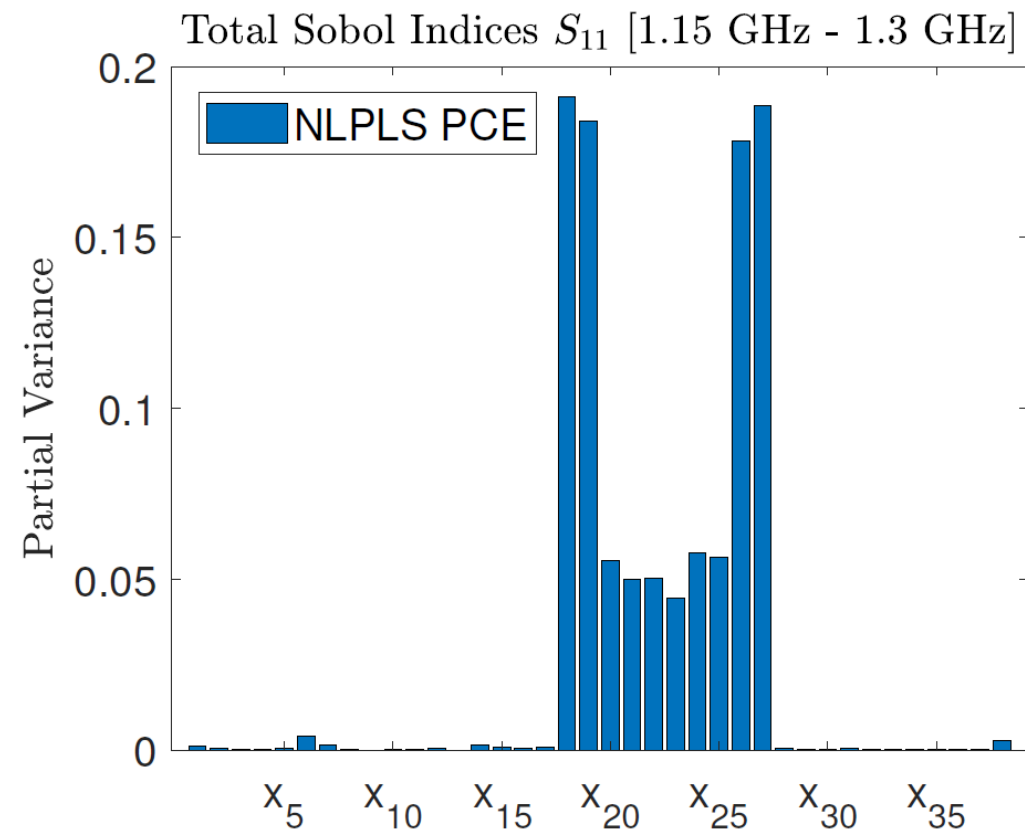
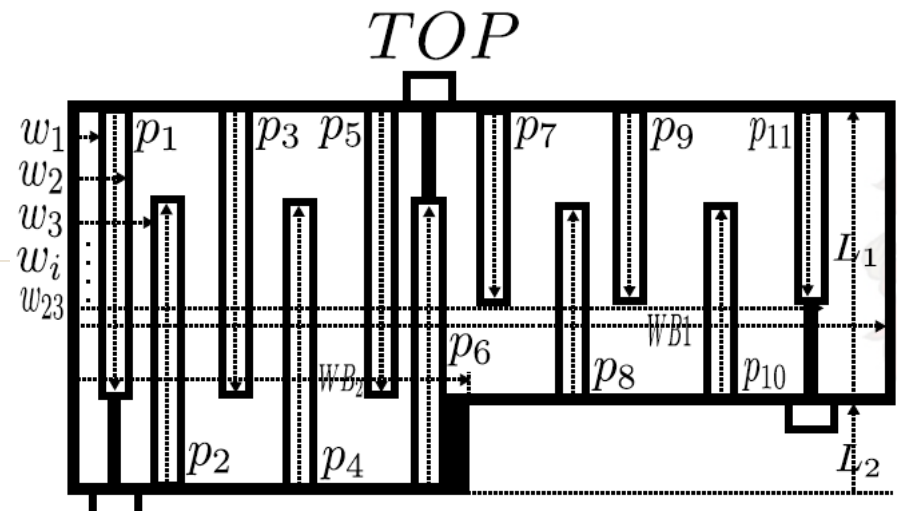
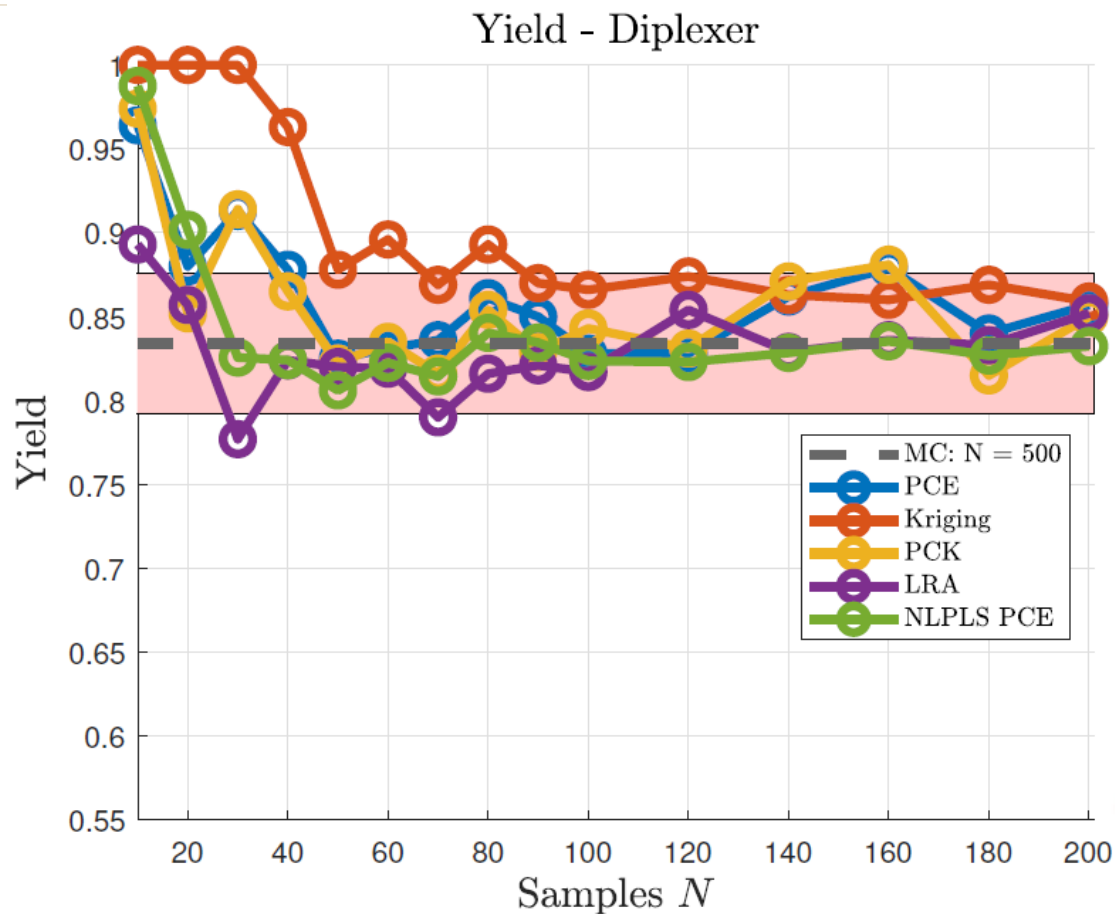
Calculate PCE polynomials and statistics

Example: L-band Diplexer 37 parameters

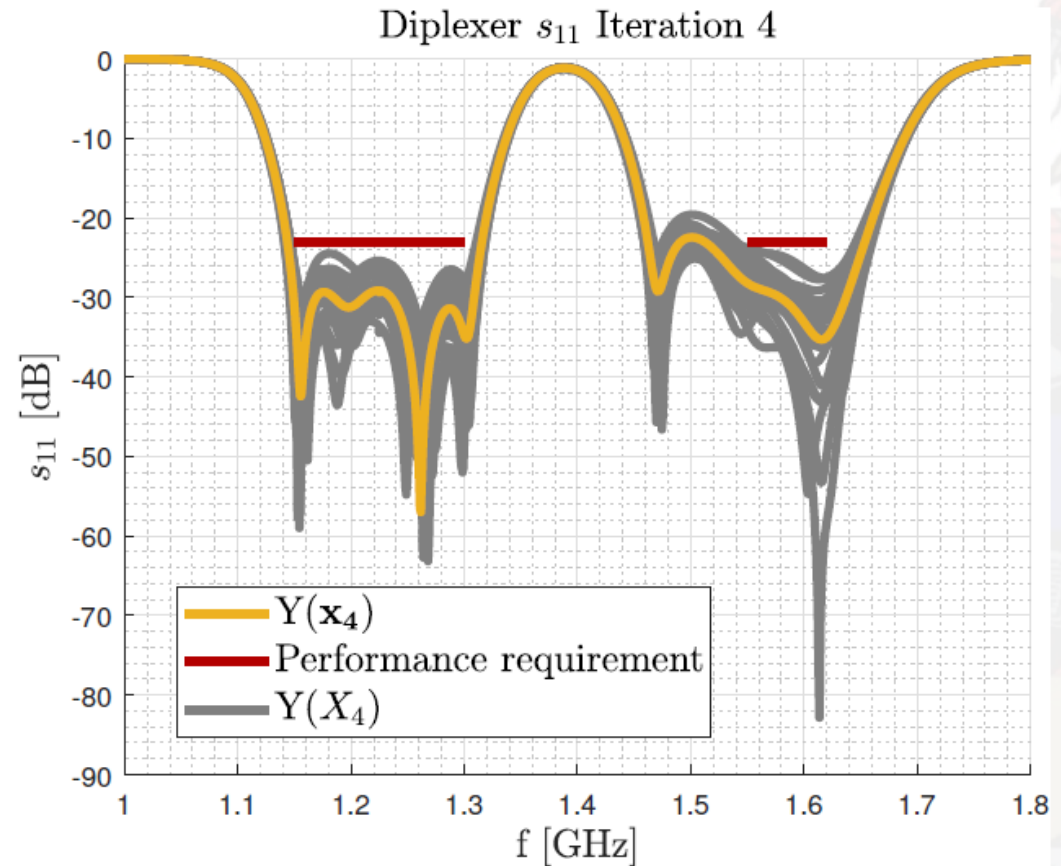
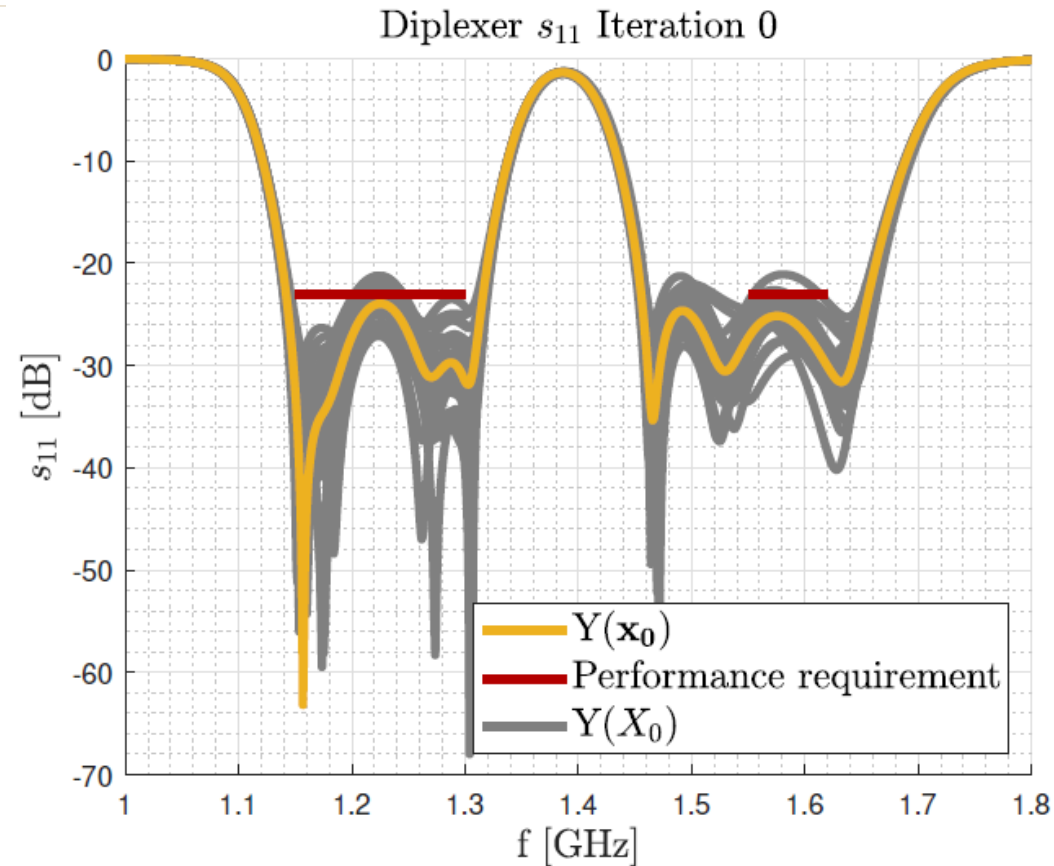


Example: L-band Diplexer

37 parameters



Future: Optimization for Yield



100% yield after 5 iterations – less than 200 3D Solver runs!

The End

**Thank you for your
attention**